

# Robust Protocols from Homomorphic-CCA Encryption

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# Non-malleable Homomorphic Encryption

- Encryption scheme where:
  - Anyone can change  $\text{Enc}(m)$  to  $\text{Enc}(f(m))$  for certain  $f$ 's
  - $\text{Enc}(f(m))$  can't be linked to original  $\text{Enc}(m)$
  - No other malleabilities
- Construction given in [PR08]
  - message space =  $G^n$
  - transformation space:  $f(m) = m * r$ , for all  $r$  in some subgroup of  $G^n$

# Anonymous Opinion Poll

- Pollster: wants to conduct a poll
- Tabulator: helps pollster collect info
  - not trusted: shouldn't see the results
- Respondents: provide responses
  - don't want responses linked to their identities
  - don't trust each other / tabulator / pollster

# Protocol Components:

- Non-malleable homomorphic scheme:
  - Message space:  $G^2$
  - Transformations:  $(a,b) \rightarrow (a,b*r)$  for known  $r \in G$
  - (Cannot change first component, can't mix-and-match components from 2 ciphertexts, etc)

# Protocol

- Pollster:
  - Generate a key pair. Pick random  $r_1$
  - Send PK and  $r_i$  to respondent  $\#i$
- Respondent  $i$ :
  - send  $\text{Enc}(m_i, r_i)$  to tabulator ( $m_i$  is th
- Tabulator:
  - “rerandomize”  $2^{\text{nd}}$  components of ciphertexts
    - multiply by random  $s_1 \dots s_n \in G$ , whose product is 1
  - send permutation of resulting ciphertexts to pollster
- Pollster:
  - Decrypt; check product of  $2^{\text{nd}}$  components
  - If product preserved, accept  $1^{\text{st}}$  components.

Pollster cannot tell which response came with which  $r_i$

(unlinkability & homomorphic property)

# The End

- Cool use of non-malleable homomorphic encryption scheme